

The Design Space of Lightweight Cryptography

Nicky Mouha

¹ESAT/COSIC, KU Leuven and iMinds, Belgium

²Project-team SECRET, Inria, France

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Lightweight Cryptography

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- “Lightweight” vs “conventional” crypto
- Should not mean weak crypto



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Main Focus: Symmetric-Key Crypto

- Maybe insights for other domains?



Three Topics

How to Measure Security

- Attack models
- Key, block and tag sizes



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- “Theoretical” vs “actual” efficiency
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Picking the Right Tool for the Job

- Analyzing lightweight requirements
- Often wrong choices at protocol level!





Short Keys: Sometimes Okay?



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Statements: Often Heard, Seldom Refuted



Cell Phone Communication

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Nohl et al.

- Large precomputation (dozens of GPU years)
- Table of 1.6 TB
- Break in ≈ 5 s on commodity hardware
- Data complexity: one 114-bit GSM burst



Information-Theoretic Framework

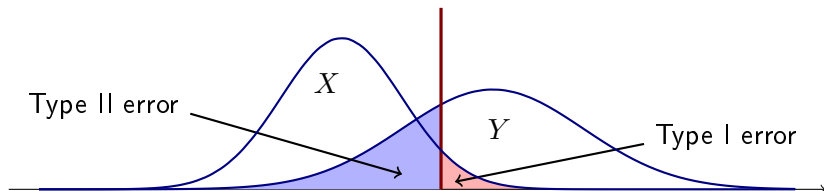
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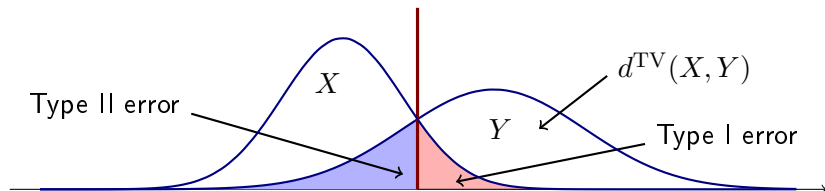


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Hypothesis Test \rightarrow Total Variation Distance

- Distinguish between “real world” and “ideal world”





Example (Asiacrypt '14)

Let \mathbf{D} be PA1-adversary for APE, \mathbf{E} be plaintext extractor

$$\text{PA1}_{\text{APE}}^{\mathbf{E}}(\mathbf{D}) \leq \frac{\sigma^2}{2^{r+c}} + \frac{2\sigma(\sigma + 1)}{2^c}$$

(σ : total # blocks of all queries, r : rate, c : capacity)

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Interpretation

- Upper bound on success probability of any attack
- “Secure up to about $\sigma = 2^{c/2}$ blocks”



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- Data complexity (D): access to device under attack
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Do Not Use:

- Short keys: see earlier (GSM)
- Short blocks: degrades security of mode of operation
- Short tags: tag guessing (works regardless of rekeying!)

Examples of Efficiency Metrics

- # modular exponentiations
- # block cipher calls / plaintext block
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Scaling Law

- More refined metric for symmetric-key crypto
- Better understanding of lightweight

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- Not rigorous: based on design choices and attacks
- How to count “operations”?

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Next Slides: Scaling Law Examples



PHOTON: 4-bit Words

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Skein: 64-bit Words

- 256/512-bit block/key size: 72 rounds
- 1024-bit block/key size: 80 rounds
- Overdesign? Best (non-biclique) attack is on 36 rounds (Yu et al., SAC '13)

Scaling Law: Variable Word Size



BLAKE

- 960-to-256-bit: 14 rounds (32-bit words)
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Keccak

- 800-bit permutation: 22 rounds (32-bit words)
- 1600-bit permutation: 24 rounds (64-bit words)
- Note: zero-sum distinguisher for full-round 1600-bit permutation (Boura et al., Duan-Lai)

Scaling Law: Counterexamples?



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- b -bit permutation, $r = b/2$ rounds, $b/4$ S-boxes/round:
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- 272-bit Spongant: 5x lower throughput than 256-bit PHOTON (Bogdanov et al., IEEE Trans. Comp. 2013)

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Goal of Lightweight Crypto

- When standard solutions fail to satisfy constraints
- Not less secure, but using new academic insights
- Most widely usable algorithm that satisfies all constraints

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Questions?

